

# Control Methods for Q20 Optics

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This work is supported by the US-LARP program and DOE contract #DE-AC02-76SF00515

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- 2 General Considerations of Q20 optics
- 3 Controller Design
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  - Stability Analysis
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# Introduction

## Control of strong head-tail and electron cloud instabilities

- Limiting factor in LHC/Injectors to maximize intensities and luminosity.
- **Electron Cloud Instabilities (ECI)** CERN is conducting an effort to coat critical parts of the accelerator with amorphous carbon. Wide band feedback is complementary.
- **Transverse Mode Coupled Instabilities (TMCI)** CERN redesigned the lattice for SPS (Q26  $\rightarrow$  Q20) to increase the beam current threshold to TMCI.
- **Wide band feedback can control both instabilities.**
- **This technology opens new options** Scrubbing at SPS and processing intrabunch signals for instrumentation and bunch diagnostic.

# Introduction

## Lattices and main parameters for SPS ring

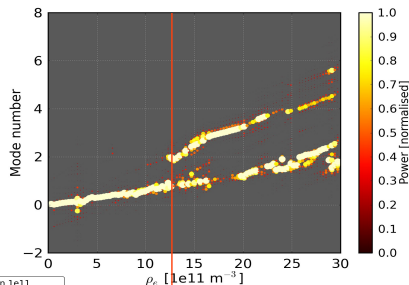
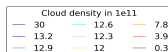
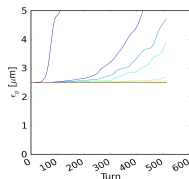
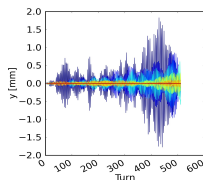
- - Q26 Optics (actual lattice)
  - Bunch length = 3.2ns ( 4  $\sigma_Z$  at 26 GeV/c)
  - Tunes:  $Q_X = 26.13$ ,  $Q_Y = 26.185$ ,  $Q_X = 0.0059$
  - Fractional tunes: Y -  $\omega_\beta = 0.185$ , Z -  $\omega_s = 0.0059$
- - Q20 Optics (new lattice)
  - Bunch length = 3 ns ( 4  $\sigma_Z$  at 26 GeV/c)
  - Tunes:  $Q_X = 20.13$ ,  $Q_Y = 20.185$ ,  $Q_X = 0.0170$
  - Fractional tunes: Y -  $\omega_\beta = 0.185$ , Z -  $\omega_s = 0.0170$

# General Considerations of Q20 optics

## Electron Cloud Instabilities (ECI)

- SPS Q20 Lattice - No feedback, scan electron cloud densities
- Mode 0:  $\omega_\beta = 0.185$ , Mode 1:  $\omega_\beta + \omega_s = 0.202$  at  $\rho_e = 0 \text{ m}^{-3}$ , 26 GeV/c.

$\rho_e = [1 - 30] \times 10^{11} \text{ m}^{-3}$  (from red over green to blue)

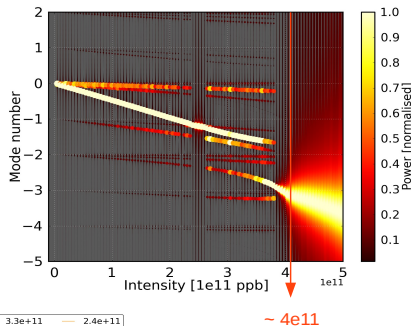
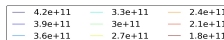
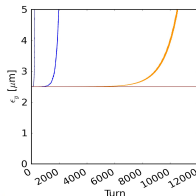
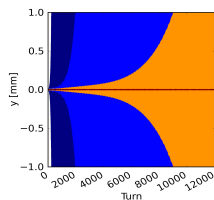


$\sim 12.3 \times 10^{11} \text{ m}^{-3}$

# General Considerations of Q20 optics

## Electron Cloud Instabilities (ECI)

- SPS Q20 Lattice - No feedback, scan for beam intensity
- Mode 0:  $\omega_\beta = 0.185$ , Mode -2 :  $\omega_\beta - 2\omega_s = 0.151$  at  $I_b = 0\text{mA}$ , 26 GeV/c.



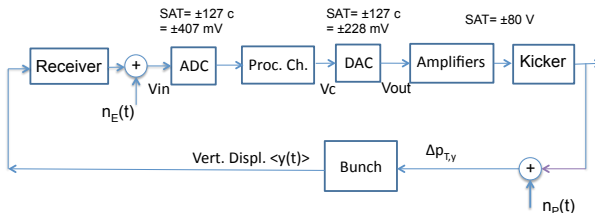
# Controller Design

## Control Requirements

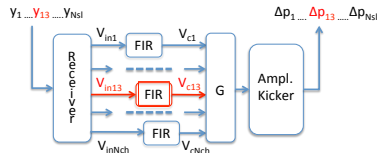
- - Stabilize the intra-bunch dynamics
  - Unstable modes for ECI -TMCI
  - Robust to parameter changes in the beam dynamics and different conditions (steady-state) of the machine
- - Maximum dynamic range to keep stability-performance for a maximum set of transient conditions
- - Feasible controller
  - Unstable dynamics sets the minimum gain in the controller
  - Intrinsic delay sets the maximum gain in the controller
- - Reject noise and perturbations
  - Isolate vertical displacement signals from longitudinal/horizontal signals.

# Controller Design

## Control Configuration - Processing Channel



- 4 GSa/s digital channel. Flexible, reconfigurable processing
  - Analog equalization of pick-up and cable transfer functions.
  - 2 ADCs / 1 DAC
- Detail of processing channel
  - 16 samples across 5 ns bucket.
  - Finite impulse response (FIR) and Infinite impulse response (IIR) filters
  - Individual processing per sample

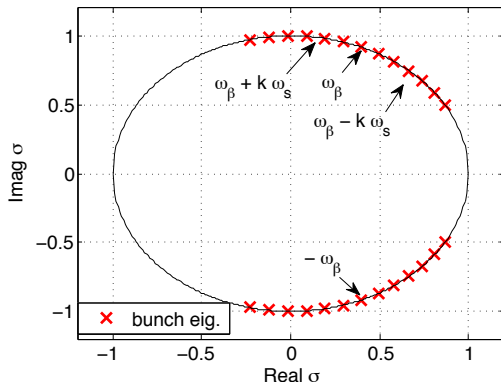




# Controller Design

## Dominant Bunch Dynamics

The bunch is characterized by the dominant modes whose eigenvalues are  $\pm i(\omega_\beta + k\omega_s)_{k=\dots-6,\dots,0,\dots+6,\dots}$ . In the fig. those eigenvalues are mapped in Z domain:  $\sigma_k = e^{\pm i(\omega_\beta + k\omega_s)T_r} |_{k=-6,\dots,0,\dots+6}$

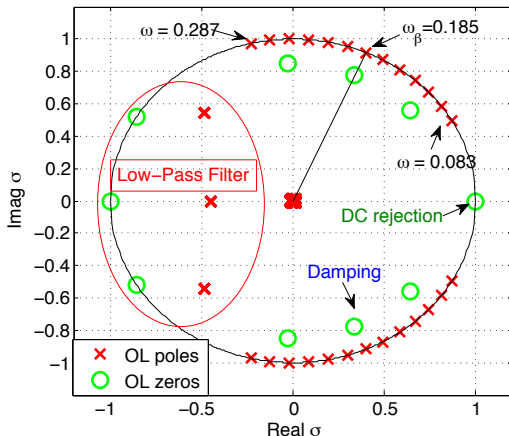


- Controller filter composed of different sections:

- 1 DC rejection and phase adjustment
- 2 Damping around dominant modes (phase adjustment)
- 3 Low-pass filter

# Controller Design

## Filters



### Filter pole-zeros

- DC rejection and phase adjustment
- Damping around dominant modes (phase adjustment)
- Low-pass filter

# Controller Design

## Filters

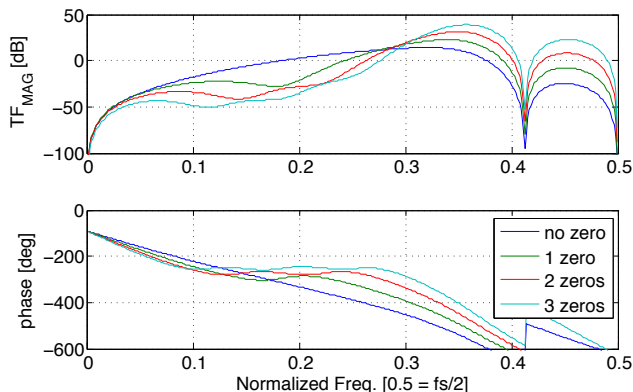


Figure: Transfer function of IIR filters

# Evaluation of system parameters

## System Stability - Noise

- Evaluate  $\pm 6$  lateral bands around the betatron frequency (Assume power stage has a ideal bandwidth 850-1000 MHz)
- Evaluate different filters with increasing number of zeros.
- Same low-pass order in all cases - Third order Chebyshev filter type II.
- **Critical parameters:** LP Bandwidth, position of zeros, overall phase adjustment.
- **Criteria:** Stability margins, Equivalent noise gain,
- Stability: use root locus (plots the position of the system eigenvalues for different gains in the controller,  $G = 0, \dots, G_{max}$ )

# Stability Analysis

## IIR Filter - 1 zero

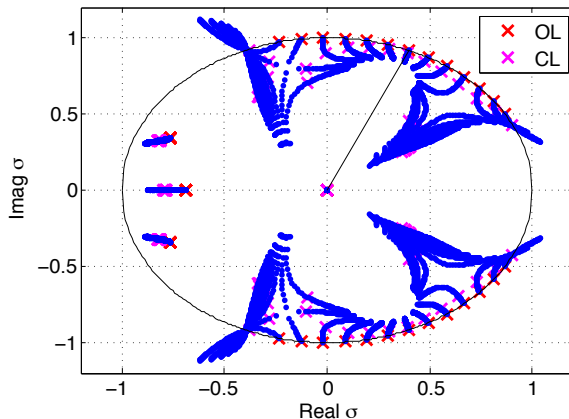


Figure: Complete Root Locus - IIR

# Stability Analysis

## IIR Filter - 1 zero

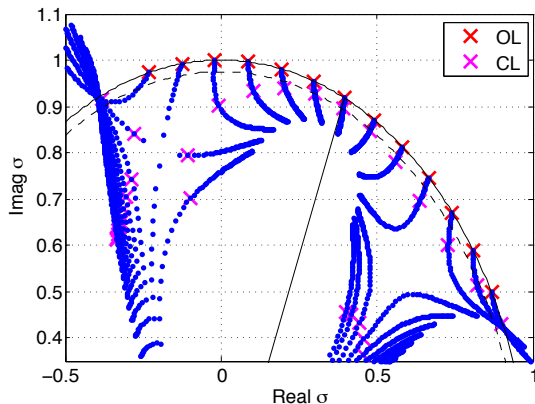


Figure: Detail Root Locus - IIR

# Stability Analysis

## IIR Filter - 2 zeros

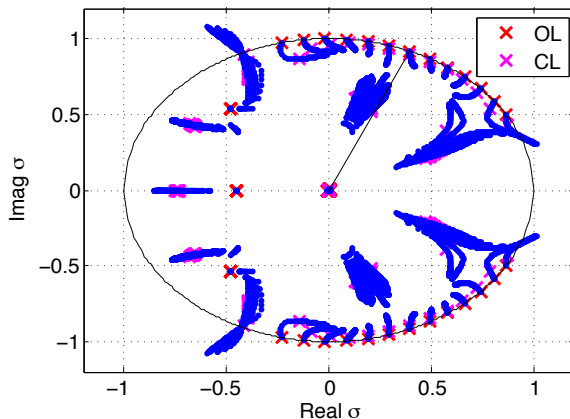


Figure: Complete Root Locus - IIR

# Stability Analysis

## IIR Filter - 2 zeros

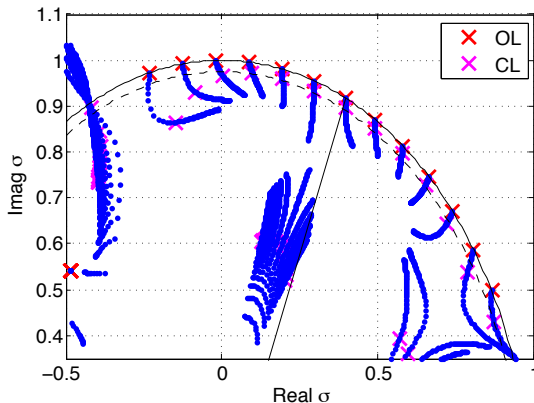


Figure: Detail Root Locus - IIR



# Stability Analysis

## IIR Filter - 3 zeros

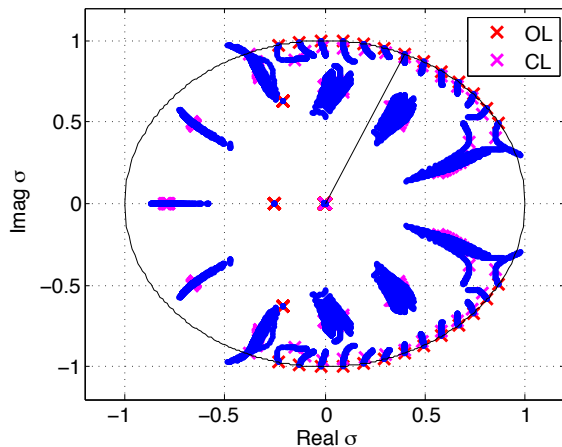


Figure: Complete Root Locus - IIR

# Stability Analysis

## IIR Filter - 3 zeros

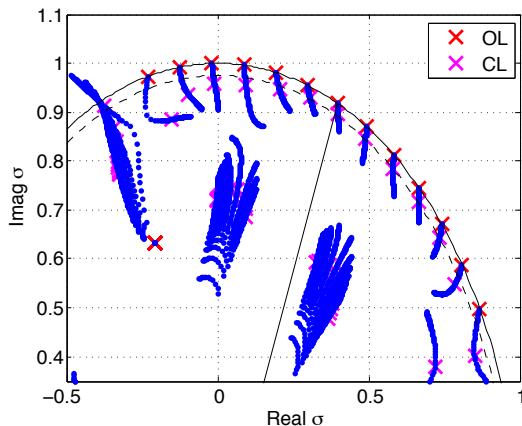


Figure: Detail Root Locus - IIR

# Results

## Noise

- IIR 1 zero:  $BW = 0.9$ ,  $G_{ol} = 0.4$ ,  $G_f = 575$   
 $\sigma = 770$  (for  $\sigma_{in} = 1$ ,  $G_2 = 770$ )
- IIR 2 zeros:  $BW = 0.8$ ,  $G_{ol} = 0.4$ ,  $G_f = 639$   
 $\sigma = 588$  (for  $\sigma_{in} = 1$ ,  $G_2 = 588$ )
- IIR 3 zeros:  $BW = 0.7$ ,  $G_{ol} = 0.7$ ,  $G_f = 1086$   
 $\sigma = 543$  (for  $\sigma_{in} = 1$ ,  $G_2 = 543$ )

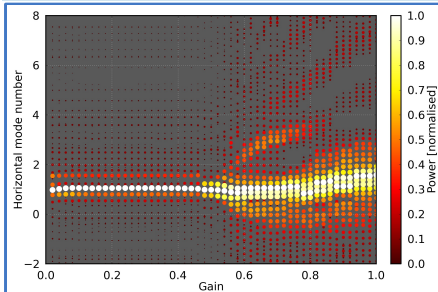
# Work in Progress

## Result Validation - Implementation

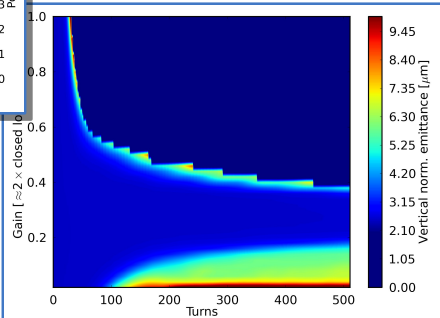
- Validate this preliminary design for the controller with analysis and results using macroparticle simulation codes.
- Define a more precise representation for the reduced model of the bunch
- Include in the feedback system realistic models of the hardware - Analyze limitations and partition of gain around the feedback loop.
- Define controller filter for Q20 optics and implement in FPGA.

# Stability Analysis

## Preliminary Results Head-Tail Simulations - Filter with 1 zero



- E-cloud density:  $16e11$
- Stabilising at gain 0.2
- Destabilising at gain 0.4



Kevin Li

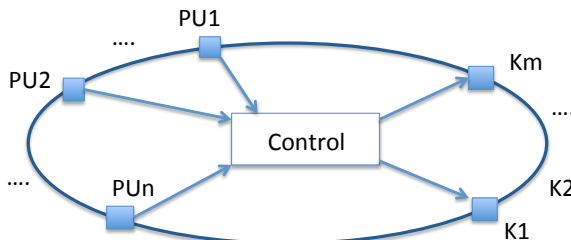


# Future considerations

## Use of multiple pick-ups / kickers in the feedback system

To reduce the latency in the controller filter we start evaluating the use of multiple pick-ups and kickers distributed around the ring.

Adds flexibility and improves signal to noise.



# Conclusions

- We started evaluating a design for the feedback controller for the SPS Q20 optics.
- It imposes a challenge due to the large synchrotron frequency, spreading out in a wide frequency band the dominating modes of the bunch.
- Multiple filters has been analyzed using as criteria system stability and noise gain of the filter.
- More work is necessary to validate this design before implementing it in the feedback firmware.
- Parallel studies are conducted to understand the benefits in this design of using multiple kickers / pick-ups distributed around the ring.